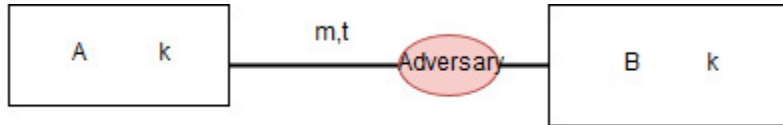


MACS



MD5(k||m) = bad MAC, vulnerable to length extension.



Example of a Function, not PERMUTATION

Side Note:

GOOD MAC SCHEME:

$$\text{PRF}_k(m) = t$$

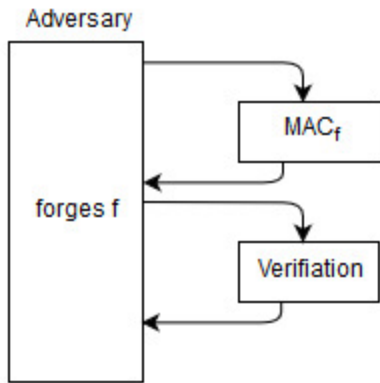
$$\text{Ver}_k(m,t) = 1 \text{ if } \text{PMF} = f \text{ [success]}$$

$$0 \text{ else [failure]}$$

Given a message and a key, you get the same tag (deterministic) (single input key will always give you the same output).

How could the adversary find a valid t without knowing k_2 ?

Extension Forgery Against Chosen Message Attacks:

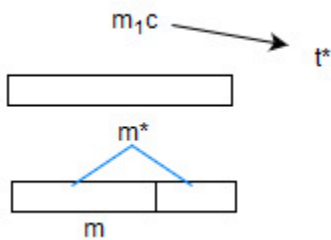
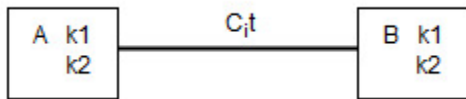


HMAC MD6

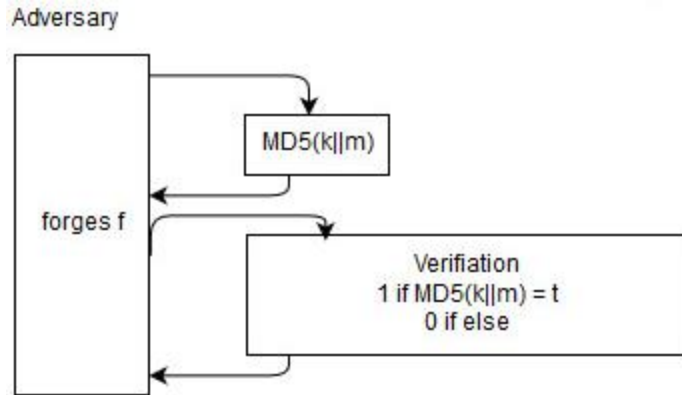
$$\text{MD5}(k \text{ XOR string1}) \parallel \text{MD5}(\text{key EXOR string 2} \parallel m)$$

SHA256 SHA256

Usually, instead of MD5, SHA256 is used and it is more secure.



t* can be obtained from m₁ and t using length extension technique.



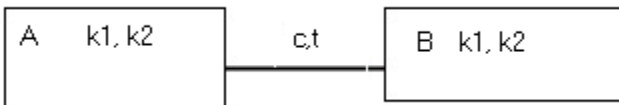
Has access to the Encryption & Decryption Oracle.

If $\text{Ver}_{k_2}(c, t) = 1$

Output $m' = \text{Dec}_{k_1}(c)$

Else:

Fail



$c = \text{ENC}_k(m)$

$t = \text{MAC}_{k_2}(c)$

CPA does not have decryption oracle.

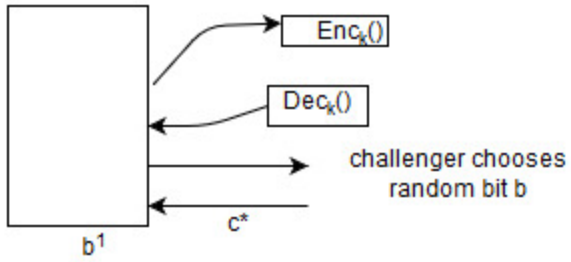
If $\text{VER}_{k_2}(c, t) = 1$ (true):

Output $m' = \text{DECK}_k(c)$

Else:

Output "Fail"

CCA Security:



Dec is CPA secure.

Adding tag makes the decryption oracle completely useless... AKA it always outputs "fail".

Achieve CCA Security:

- Let Enc & DeC be CPA security scheme (CBC mode)
- Let MAC be source message authentication code.

Doesn't output fail -> Adversary has some c, t st $VER_{k_2}(c, t) = 1$

Without knowing k , how can we find t ?

We can't from the security of MAC.

MAC prevents CCA attacks.